

COSC 2306

Data Programming

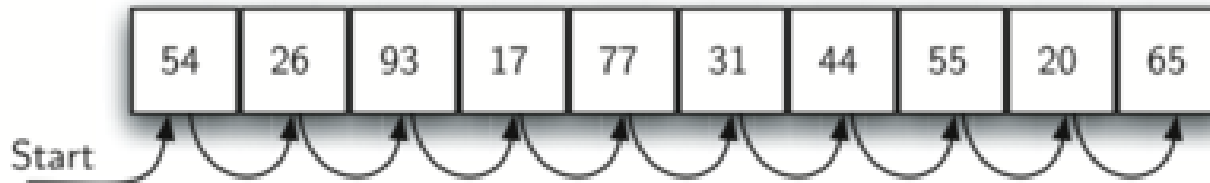
Search

Search

- Find something in data structures
 - Lists
 - Sorted Lists
 - Hash tables

Sequential search

- A sequential search of a list/array begins at the beginning of the list/array and continues until the item is found or the entire list/array has been searched
- The search result can be True/False or return the position of found item



Sequential search

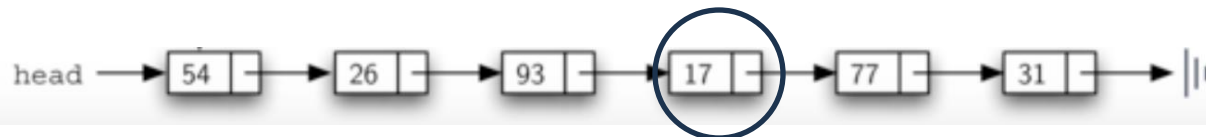
- We have seen it for array lists and linked lists

```
>>> 15 in [3,5,2,4,1]
```

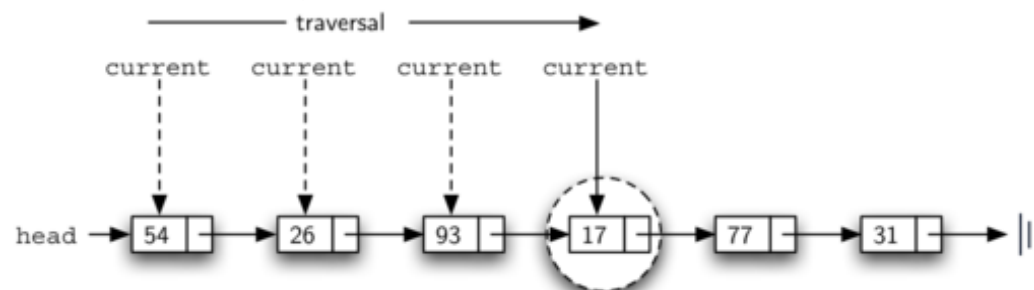
```
False
```

```
>>> 3 in [3,5,2,4,1]
```

```
True
```

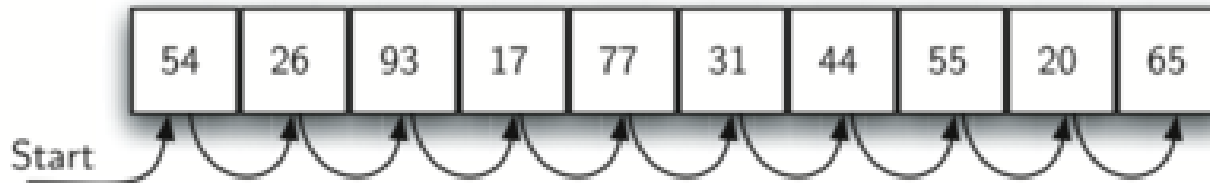


Step1: search the item



Sequential search coding practice

- Define a function `SequentialSearch` that takes input of a list and a search target
- Return `True` if the item is found, otherwise return `False`



Sequential search

```
def SequentialSearch(alist, item):
```

```
    pos = 0
```

```
    found = False
```

```
    while pos < len(alist) and not found:
```

```
        if alist[pos] == item:
```

```
            found = True
```

```
        else:
```

```
            pos = pos + 1
```

```
    return found
```

```
numbers = [59, 37, 10, 25, 42]
```

```
target = 42
```

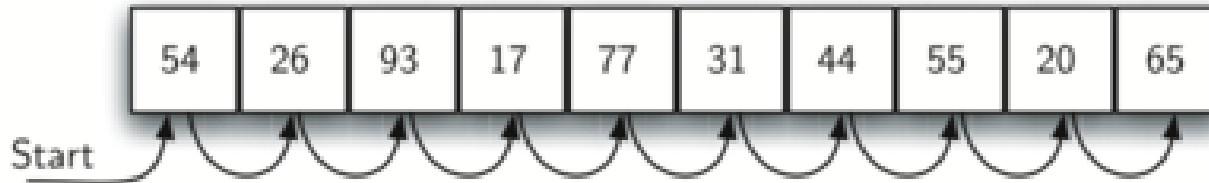
```
if SequentialSearch(numbers, target):
```

```
    print(f"{target} is found in the list.")
```

```
else:
```

```
    print(f"{target} is not found in the list.")
```

Sequential search analysis



What is the best case and what is the worst case?

Case 1: found. Best: 1
Worst: n

Case 2: not found. Best: n
Worst: n

How about the average case?

Sequential search analysis

Suppose that there are n elements in the array. The following expression gives the average number of comparisons:

$$\frac{1+2+\dots+n}{n}$$

It is known that

$$1+2+\dots+n = \frac{n(n+1)}{2}$$

Therefore, the following expression gives the average number of comparisons made by the sequential search in the successful case:

$$\frac{1+2+\dots+n}{n} = \frac{1}{n} \frac{n(n+1)}{2} = \frac{n+1}{2}$$

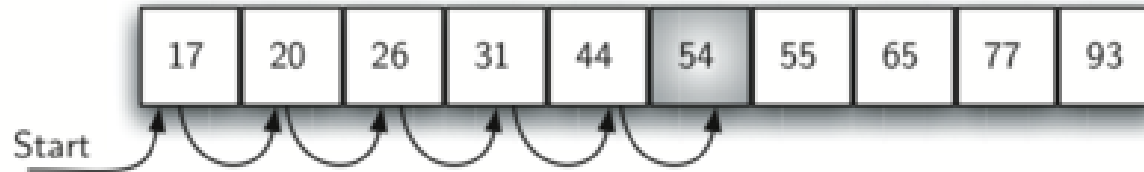
Sequential search analysis

Case	Best Case	Worst Case	Average Case
item is present	1	n	$\frac{n+1}{2}$
item is not present	n	n	n

Complexity: $O(n)$

Ordered sequential search analysis

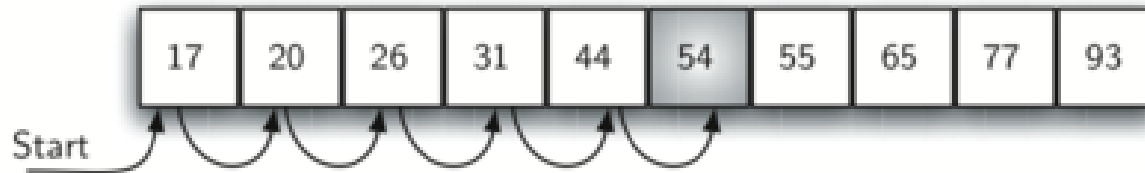
Ordered List



What is the best, the worst, and average case?

Ordered sequential search analysis

Ordered List

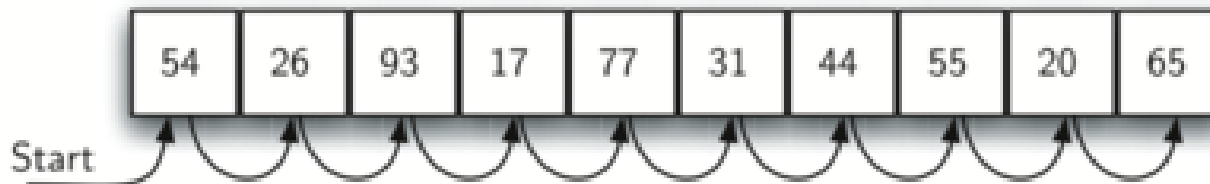


Case	Best Case	Worst Case	Average Case
item is present	1	n	$\frac{n+1}{2}$
item is not present	1	n	$\frac{n}{2}$

Complexity: $O(n)$

Ordered sequential search coding practice

- Define a function `orderedSequentialSearch` that takes input of a list and a search target
- Return `True` if the item is found, otherwise return `False`



Ordered sequential search

```
def orderedSequentialSearch(alist, item):
```

```
    pos = 0
```

```
    found = False
```

```
    stop = False
```

```
    while pos < len(alist) and not found and not stop:
```

```
        if alist[pos] == item:
```

```
            found = True
```

```
        else:
```

```
            if alist[pos] > item:
```

```
                stop = True
```

```
            else:
```

```
                pos = pos + 1
```

```
    return found
```

```
numbers = [10, 25, 37, 42, 59]
```

```
target = 42
```

```
if orderedSequentialSearch(numbers, target):
```

```
    print(f"{target} is found in the list.")
```

```
else:
```

```
    print(f"{target} is not found in the list.")
```

Search

Can we do better search in ordered data?

Binary search

- “Divide-and-conquer” strategy
- Assumes that the items in the array are **sorted**
- The algorithm **begins at the middle** of the array
- If the item we are looking for **is less than the item in the middle**, we know that the item won’t be in the second half of the array
- **Repeat** by examining the middle element of “interesting half”
- The process continues with each comparison cutting in half the portion of the array where the item might be

Binary search

[0]	ant
[1]	cat
[2]	chicken
[3]	cow
[4]	deer
[5]	dog
[6]	fish
[7]	goat
[8]	horse
[9]	lion
[10]	snake

Searching for cat

BinarySearch(0, 10)	middle: 5	cat < dog
BinarySearch(0, 4)	middle: 2	cat < chicken
BinarySearch(0, 1)	middle: 0	cat > ant
BinarySearch(1, 1)	middle: 1	cat = cat Return: true

Searching for zebra

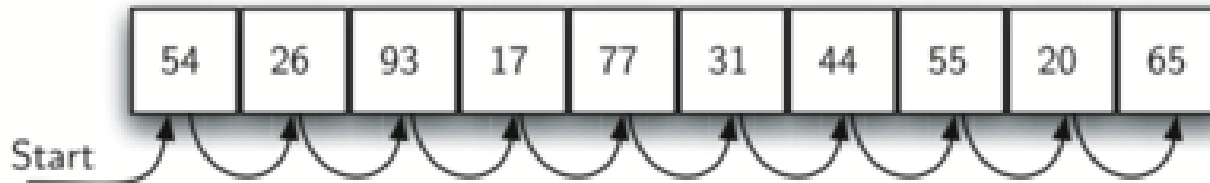
BinarySearch(0, 10)	middle: 5	zebra > dog
BinarySearch(6, 10)	middle: 8	zebra > horse
BinarySearch(9, 10)	middle: 9	zebra > lion
BinarySearch(10, 10)	middle: 10	zebra > snake
BinarySearch(11, 10)		last > first Return: false

Searching for fish

BinarySearch(0, 10)	middle: 5	fish > dog
BinarySearch(6, 10)	middle: 8	fish < horse
BinarySearch(6, 7)	middle: 6	fish = fish Return: true

Binary search coding practice

- Define a function `BinarySearch` that takes input of a list and a search target
- Return `True` if the item is found, otherwise return `False`



Binary search

```
def BinarySearch(alist, item):  
    first = 0  
    last = len(alist) - 1  
    found = False  
  
    while first <= last and not found:  
        midpoint = (first + last) // 2  
        if alist[midpoint] == item:  
            found = True  
        elif item < alist[midpoint]:  
            last = midpoint - 1  
        else:  
            first = midpoint + 1  
  
    return found
```

```
numbers = [1, 3, 5, 7, 9, 11, 13]  
target = 7  
result = BinarySearch(numbers, target)  
print(f"Item {target} found? {result}")
```

Binary search coding practice

- Define a **recursive** function BinarySearch that takes input of a list and a search target
- Return True if the item is found, otherwise return False

